

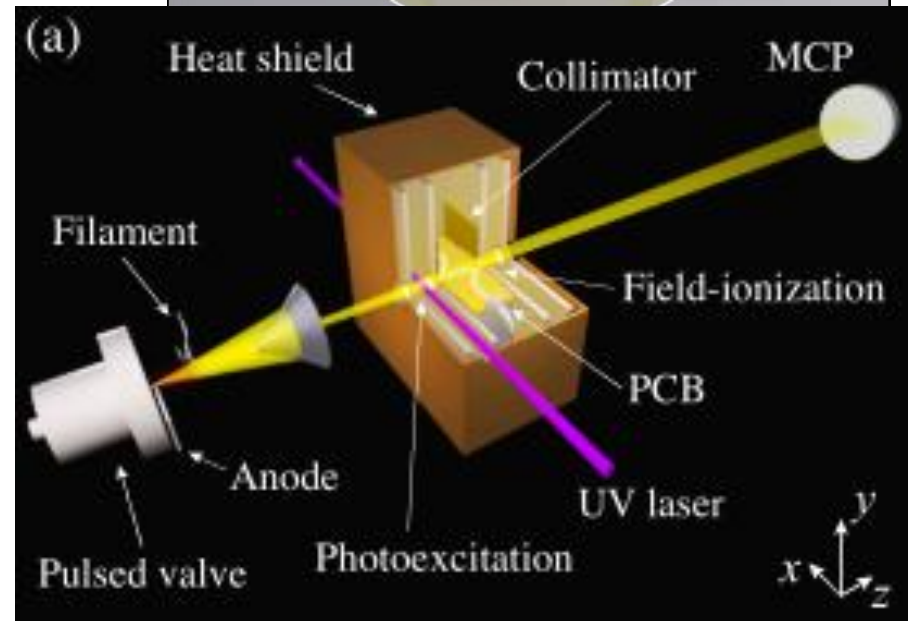
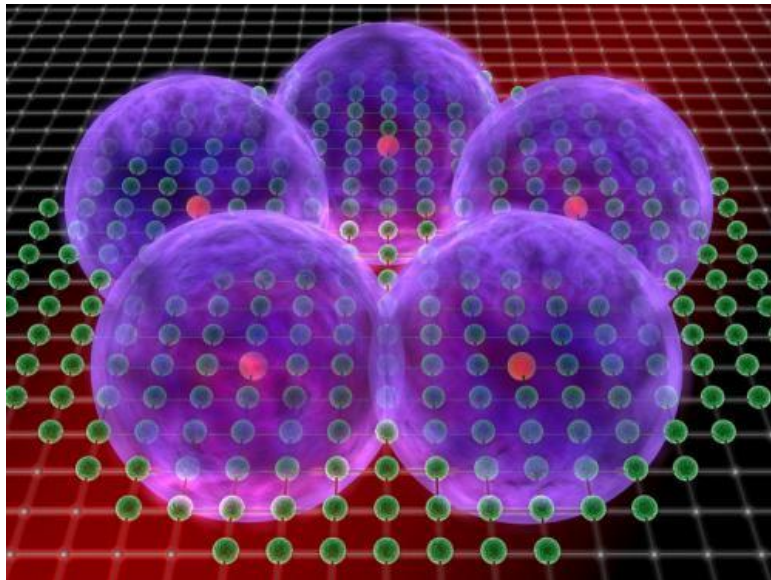
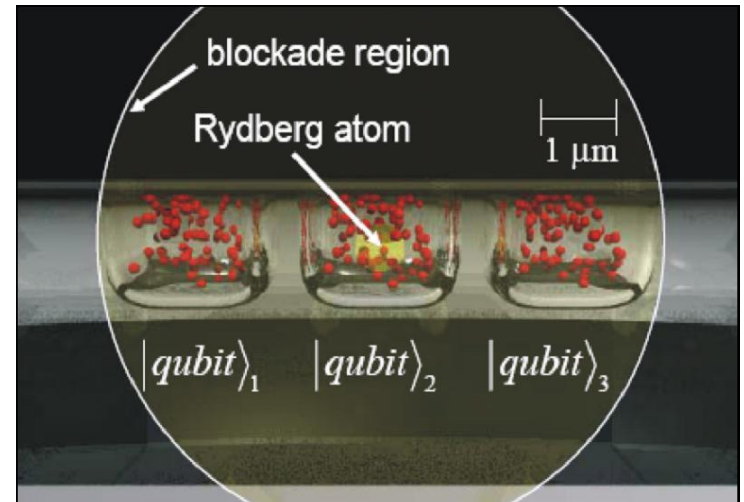
# Rydberg atoms

## part 2

Tobias Thiele

# Part 2- Rydberg atoms

- Typical Experiments:
  - Beam experiments
  - (ultra) cold atoms
  - Vapor cells



# Goal

- Couple atoms to cavities
  - Realize Jaynes-Cummings Hamiltonian
- Single atom(dipole) - coupling to cavity:

$$g = \frac{d F_0}{\hbar} = \sqrt{\frac{\omega_0 d^2}{2 \epsilon_0 \hbar V}}$$

Increase resonance frequency

Reduce mode volume

Increase dipole moment

# Coupling Rydberg atoms

- Couple atoms to cavities
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- Single atom(dipole) - coupling to cavity:

$$g = \frac{d F_0}{\hbar} = \sqrt{\frac{\omega_0 d^2}{2 \epsilon_0 \hbar V}} \approx 110 n^2 = 2 \pi 43.768 \text{ kHz}$$

Increase dipole moment for fixed frequency (~50 GHz, n=50)

- Can we go arbitrarily high with Rydbergs?

$$g = \frac{d F_0}{\hbar} = \sqrt{\frac{\omega_0 d^2}{2 \epsilon_0 \hbar V}}$$

$\propto n^{-3}$ 
 $\propto n^2$ 
 $\propto n^9$

# Coupling Rydberg atoms

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  - Realize Jaynes-Cummings Hamiltonian

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- Can we go arbitrarily high with Rydbergs?

$$g = \frac{d F_0}{\hbar} = \sqrt{\frac{\omega_0 d^2}{2 \epsilon_0 \hbar V}} \approx 2 \pi 6 * 10^{11} n^{-4}$$

$\propto n^2$

$\propto n^{-3}$

$\propto n^9$

# Advantages microwave regime for strong coupling $g \gg \kappa, \gamma$

- Coupling to ground state of cavity
  - $\lambda \sim 0.01$  m (microwave, possible) for  $n=50$
  - $\lambda \sim 10^{-7}$  m (optical, n. possible),
    - Typical mode volume:  $1\text{mm} \cdot (50\ \mu\text{m})^2 \rightarrow g \propto \sqrt{n}$
- Linewidth:
  - $\kappa \sim 10$  Hz (microwave)
  - $\kappa \sim$  MHz (optical)

# Summary coupling strength

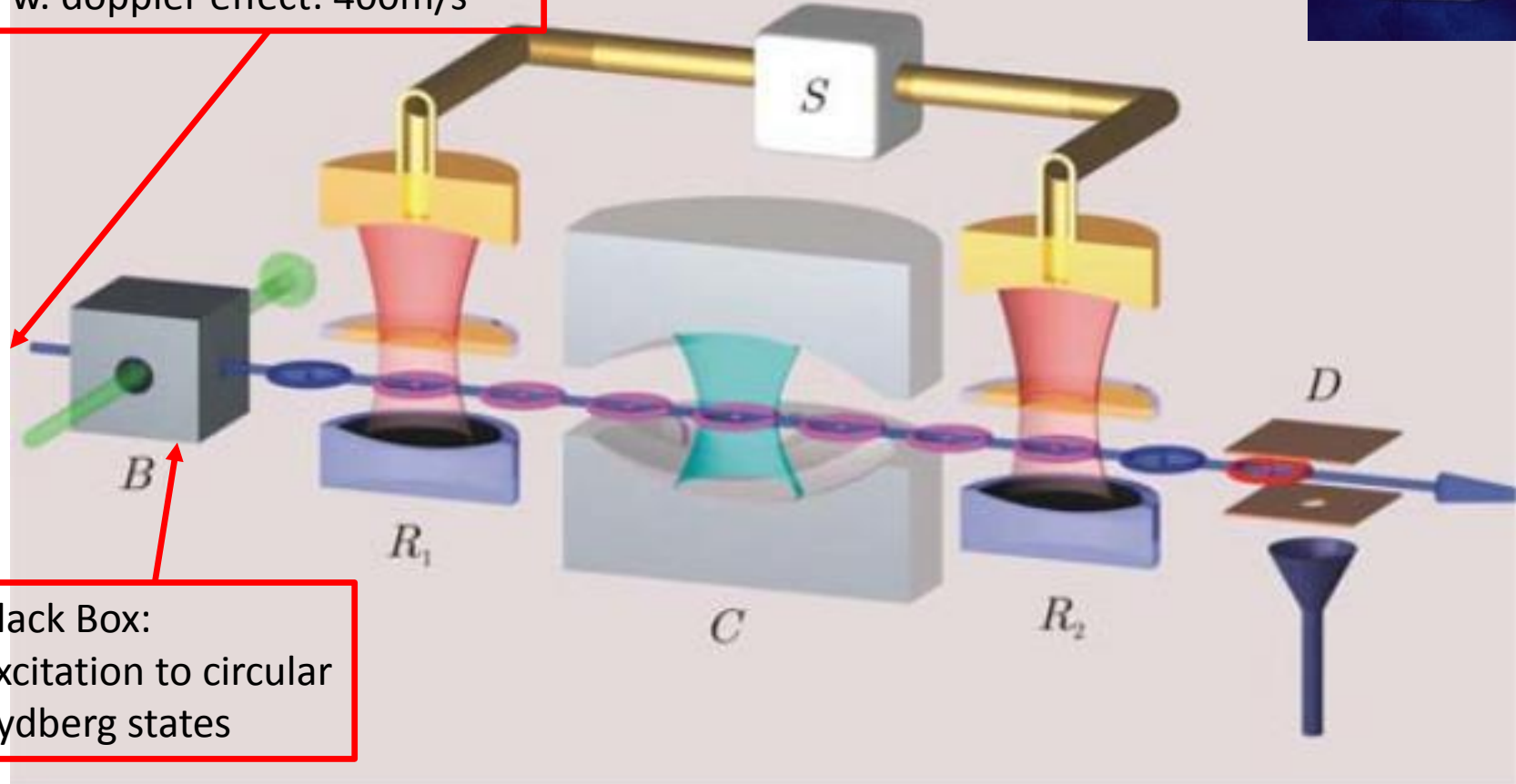
- Microwave:  $g \sim 2\pi \cdot 40 \text{ kHz}$ ,  $\kappa \sim 2\pi \cdot 10 \text{ Hz}$   $n^{-4}$  frequency limited
- Optical:  $g \sim 2\pi \cdot 5 \text{ MHz}$ ,  $\kappa \sim 2\pi \cdot 1 \text{ MHz}$  Mode volume limited
- What about  $\gamma$ ?
  - Optical  $\gamma_{6p} \sim 2.5 \text{ MHz}$
  - Rydberg  $\gamma_{50p} \sim 300 \text{ kHz}$ ,  $\gamma_{50,50} \sim 100 \text{ Hz}$ 
    - $n^{-3}$   $n^{-5}$
  - $\rightarrow g/\gamma_{np} \propto 1/n$ ,  $g/\gamma_{n,n-1} \propto n$

Optimal  $n$  when  
 $g \gg \gamma \sim \kappa$

# Experiment Haroche



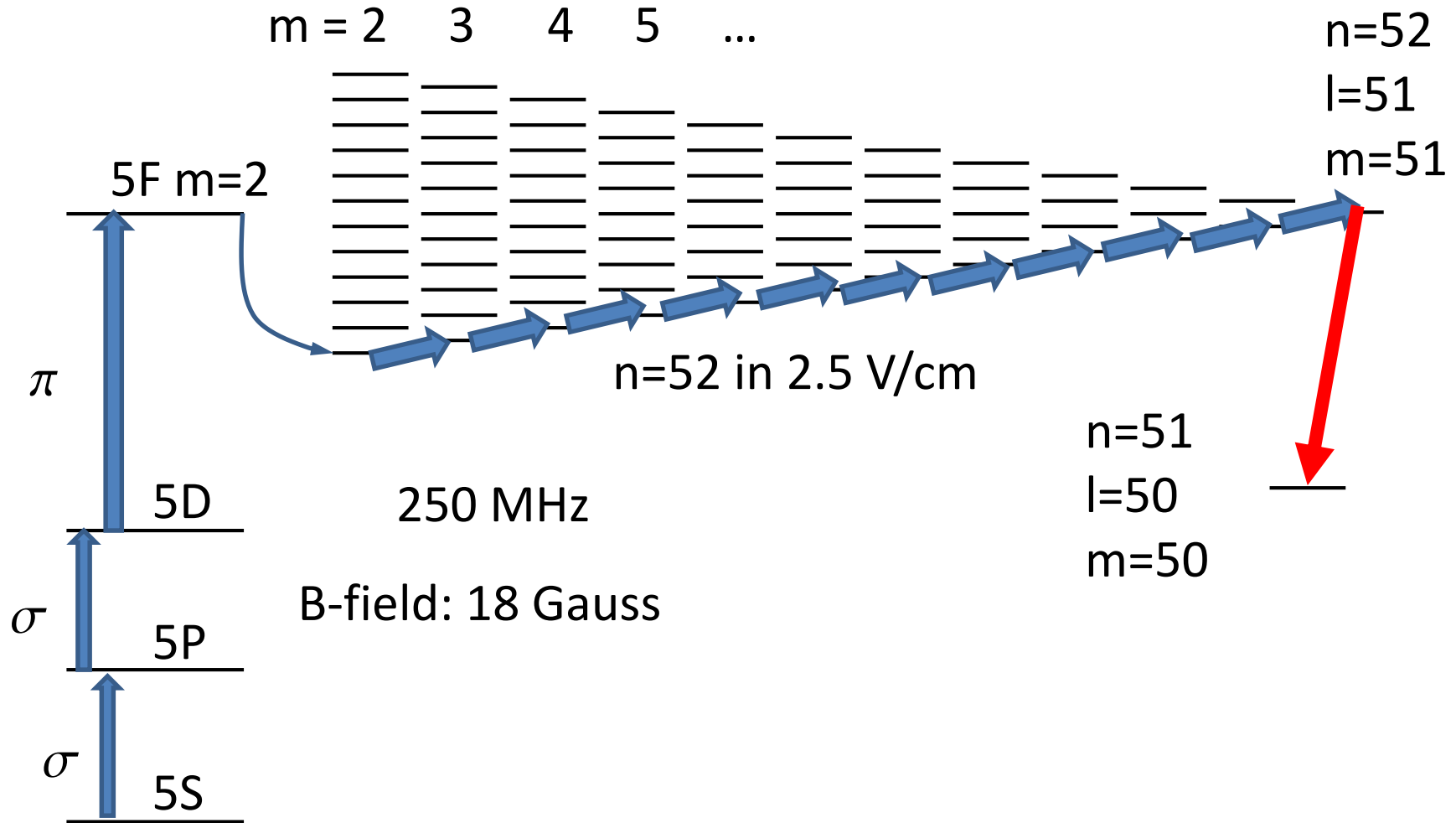
Effusive beam Laser filtering  
w. doppler effect: 400m/s



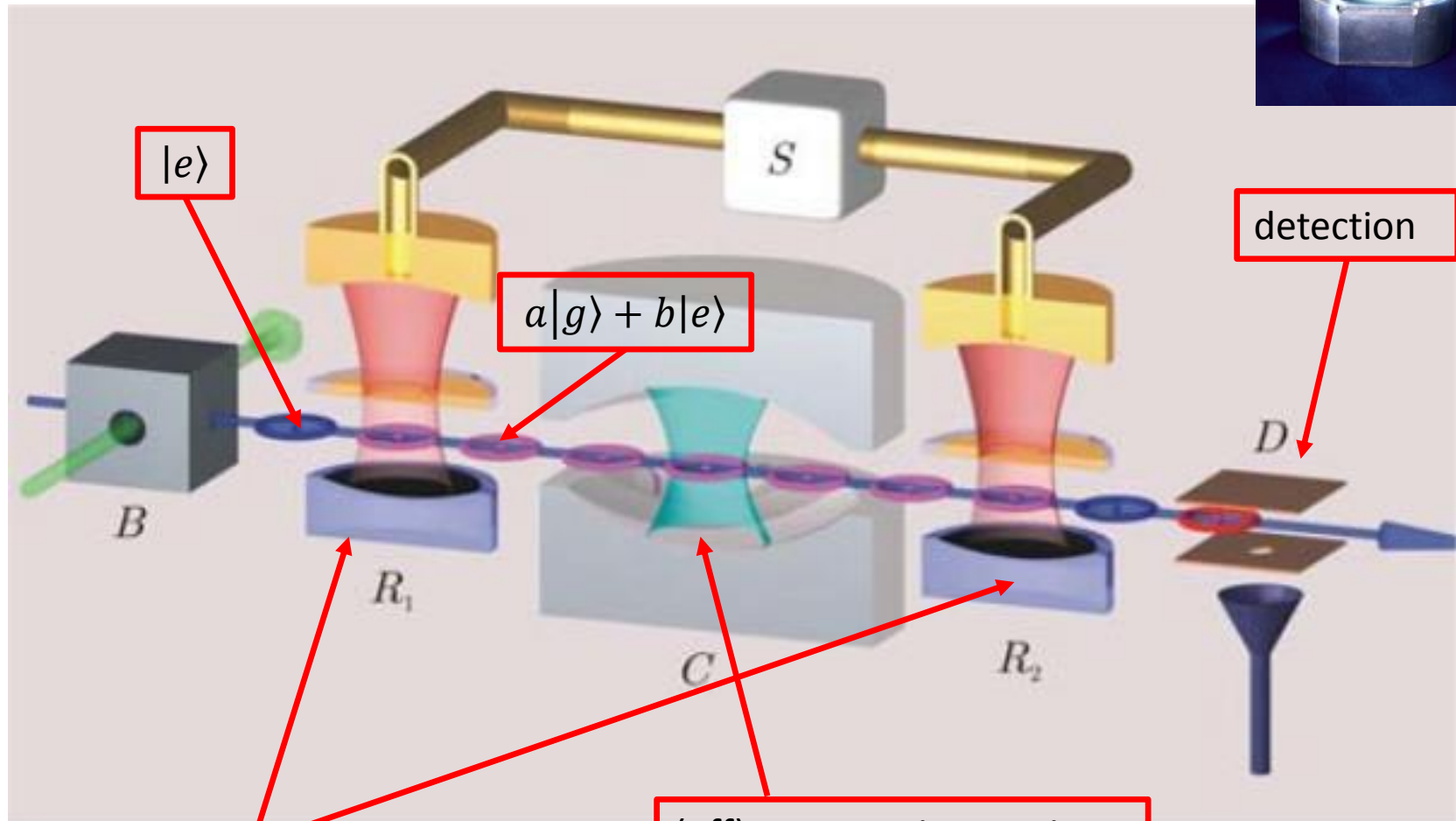
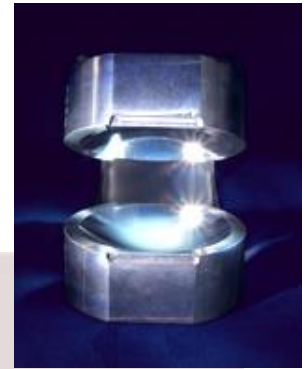
Black Box:  
Excitation to circular  
Rydberg states



# Circular States: 53 photons



# Experiment Haroche



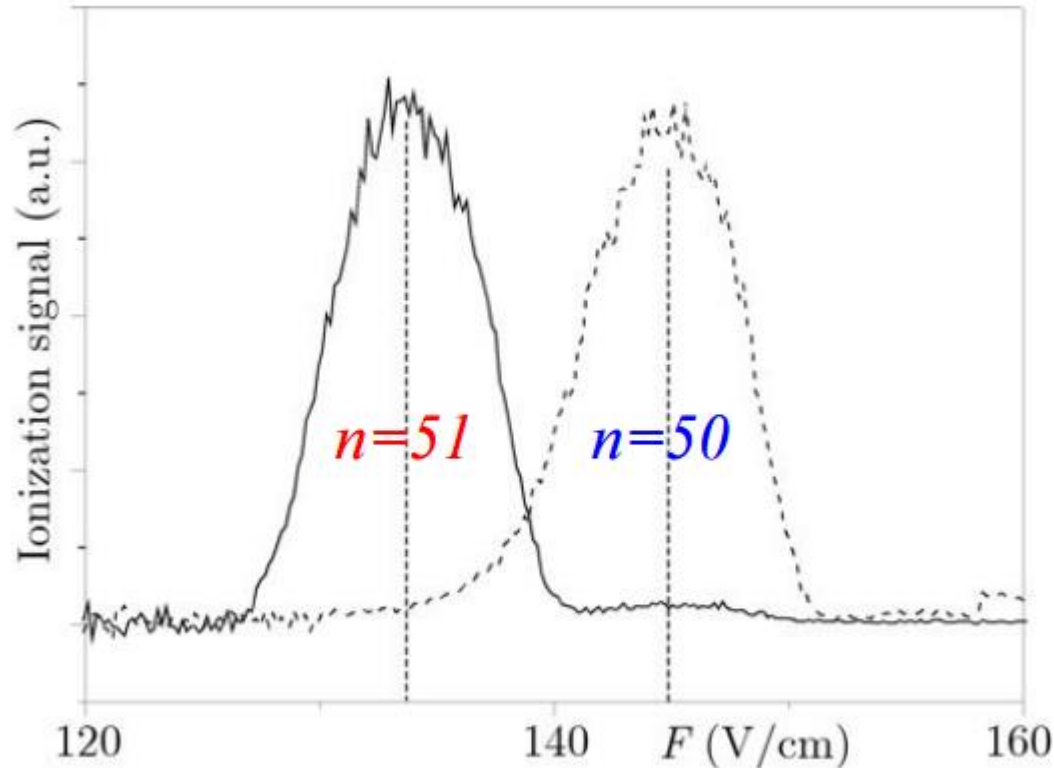
Ramsey interferometer:  
apply single atom pulses

(off) resonant interaction  
with cavity

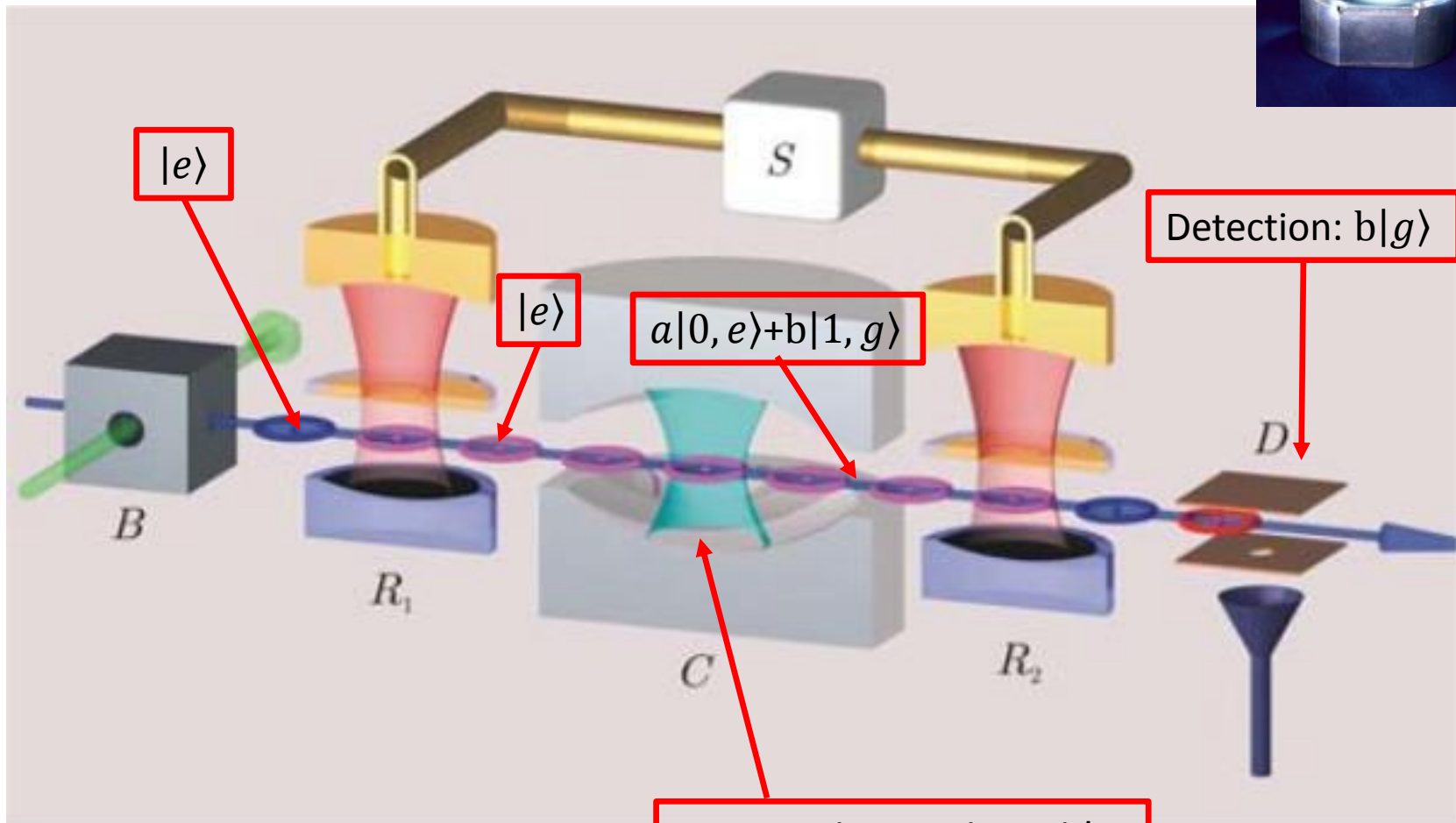
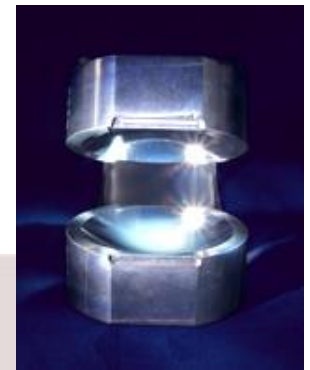
detection

# Detection

- Ramped field ionization:  $n^{-4}$
- Detection efficiency  $> 50\%$



# Rabi oscillations



# Rabi oscillations – change velocity

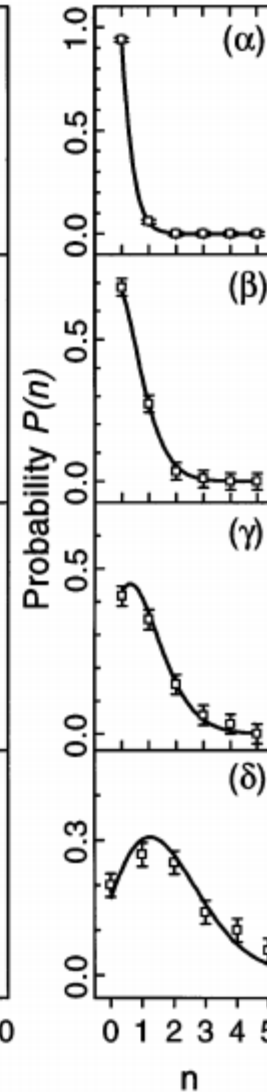
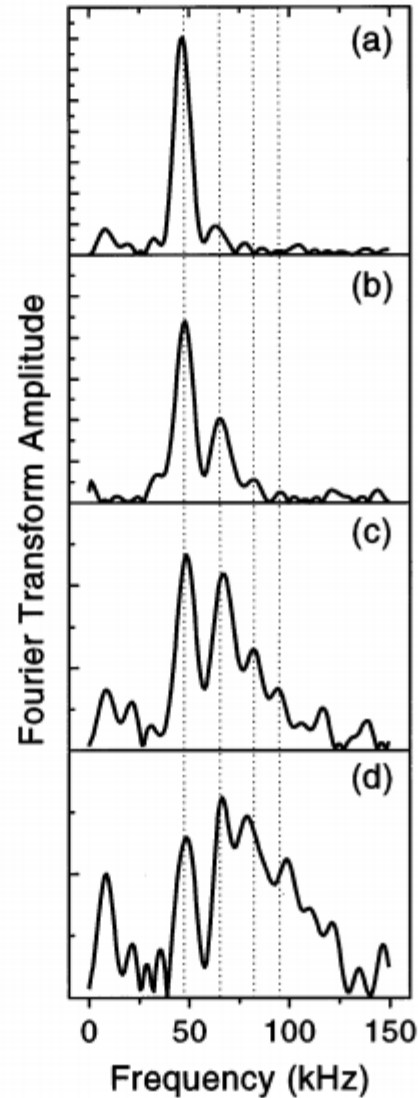
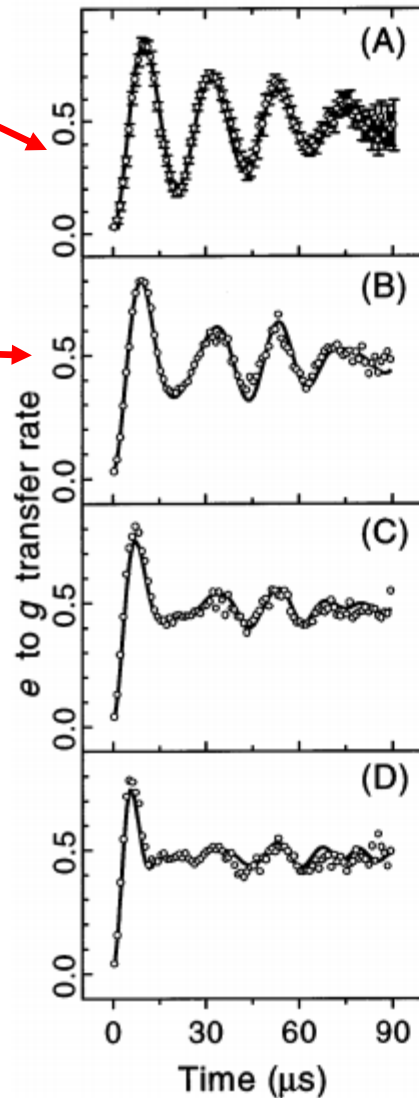
Rydberg population

Fourier Transform

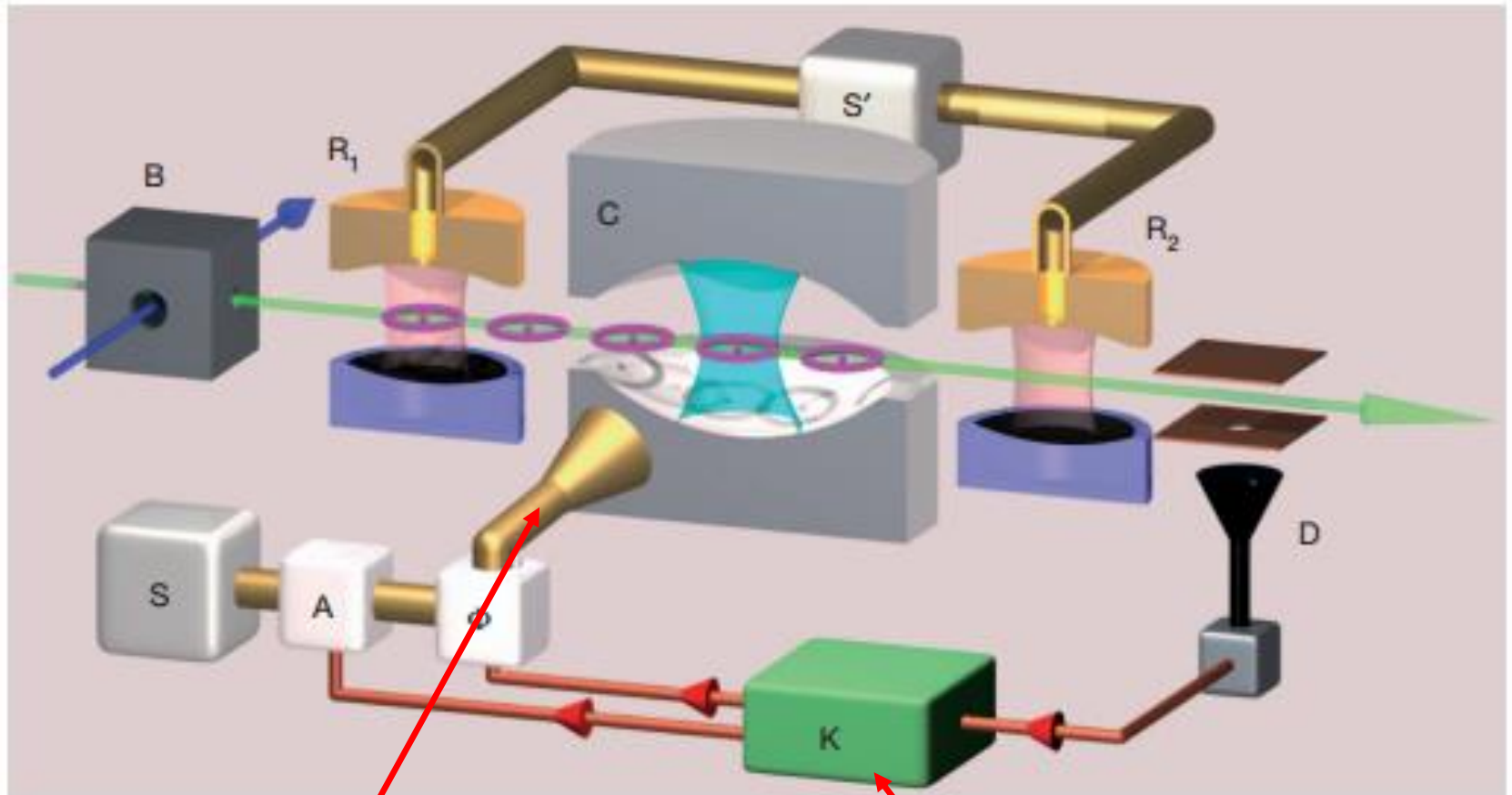
Cavity population

Vacuum field

Coherent states



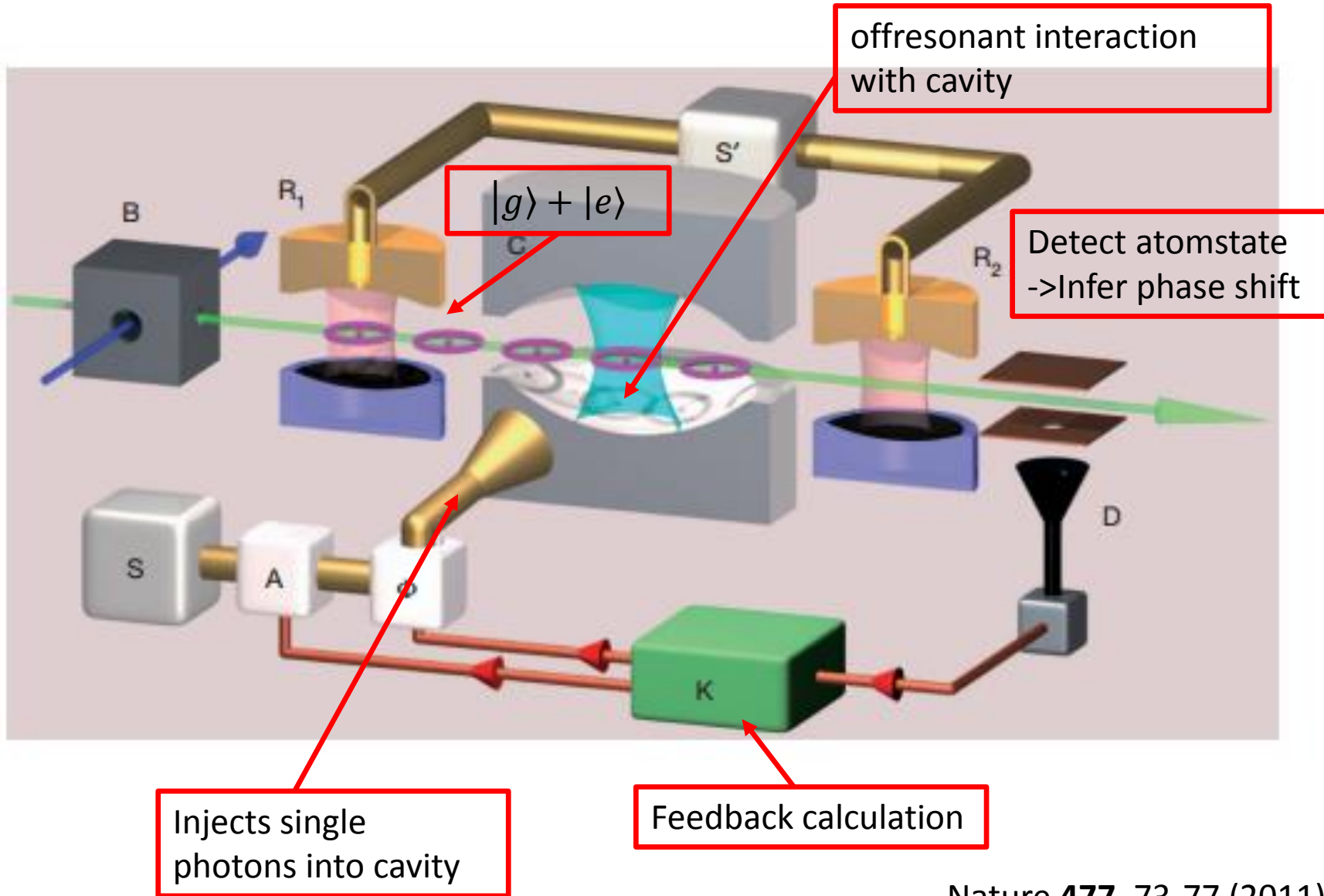
# The next step: Quantum feedback



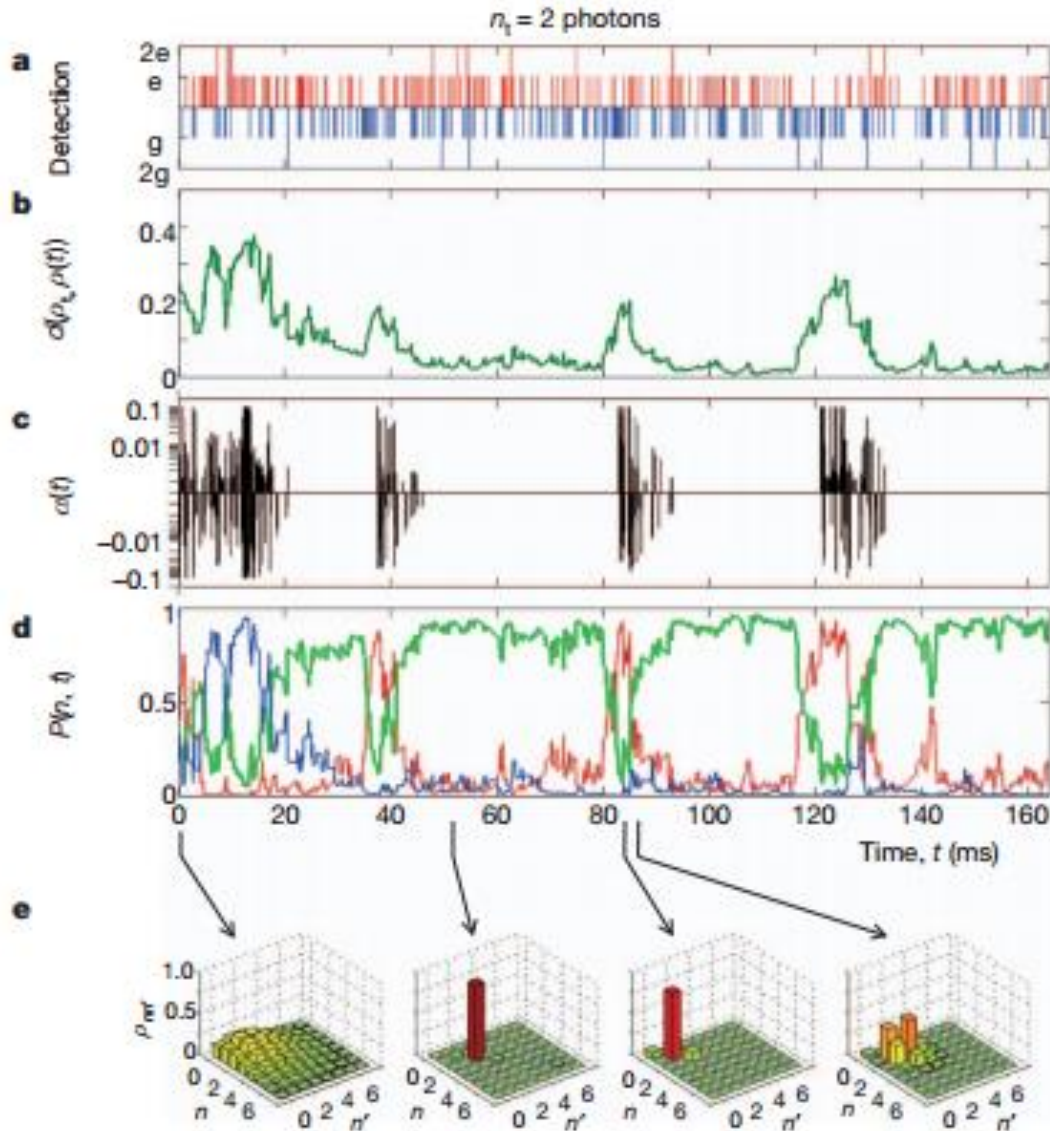
Injects single photons into cavity

Feedback calculation

# The next step: Quantum feedback



# The next step: Quantum feedback



Atom state detection

Mathematic distance to target state

Applied power to feedback antenna

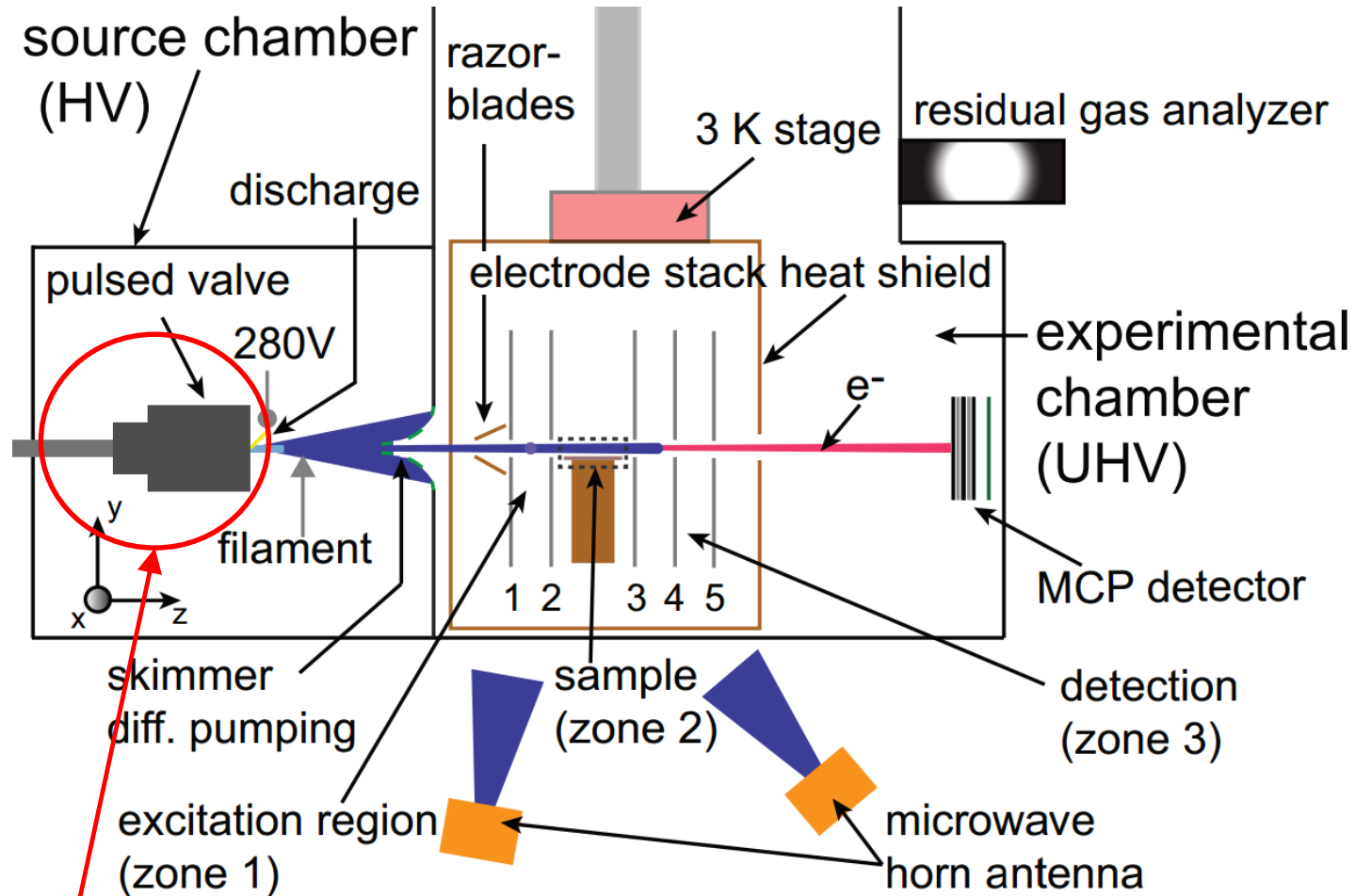
Probability photon state:  
g = target  
r = too few  
b = too many

Calculated density matrix



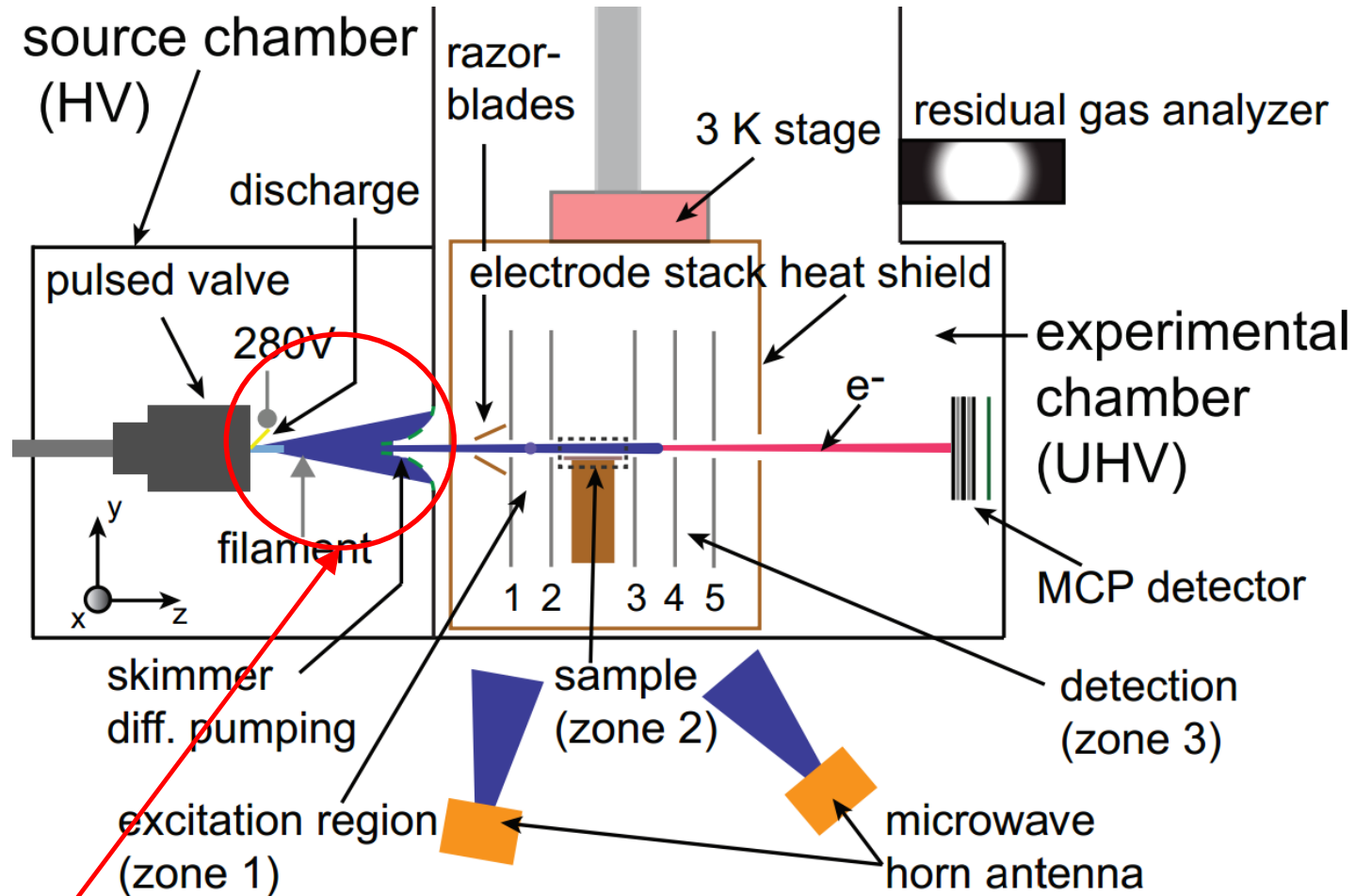
END

# ETH physics Rydberg experiment



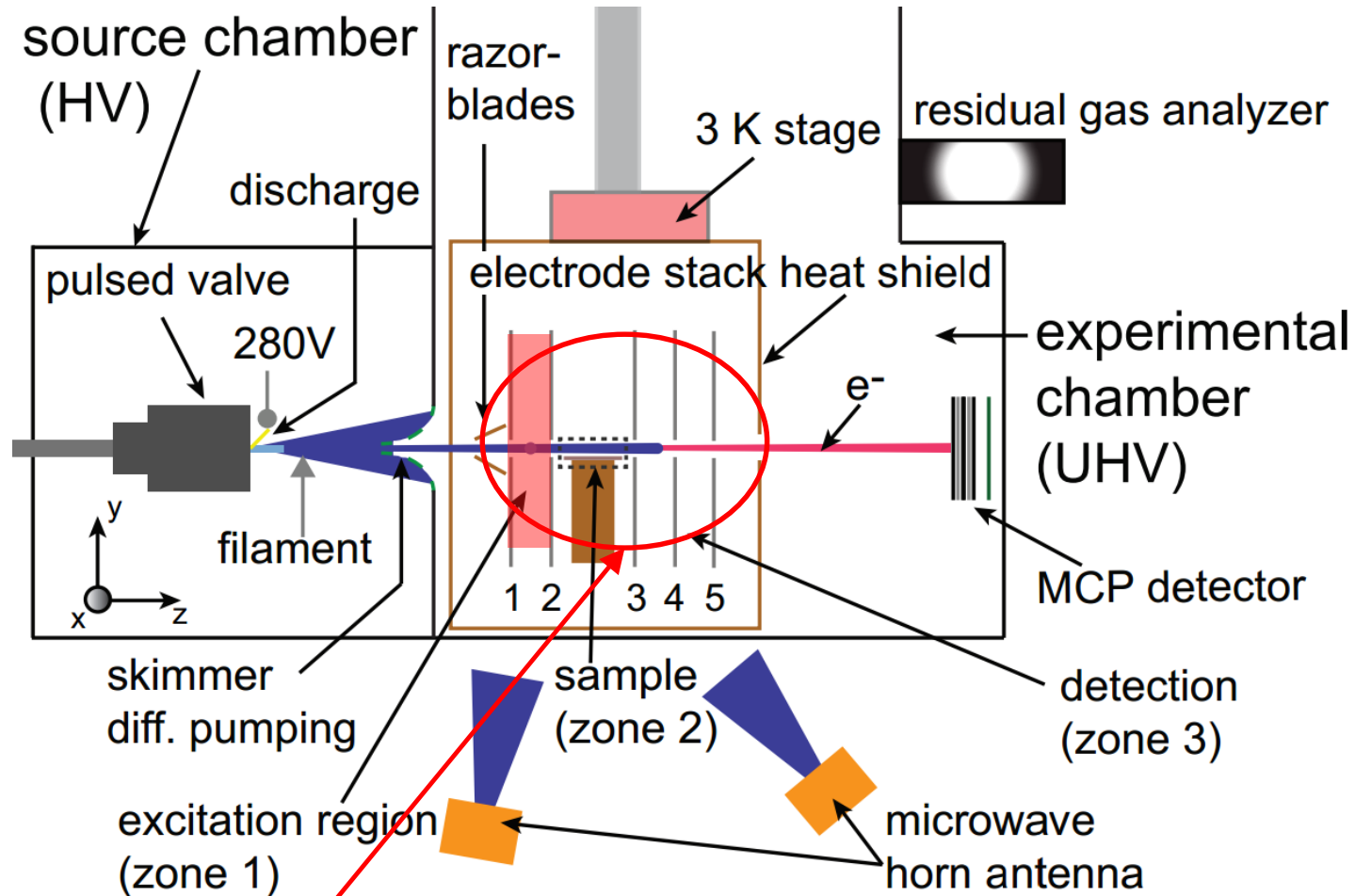
Creation of a cold supersonic beam of Helium.  
Speed: 1700m/s, pulsed: 25Hz, temperature atoms=100mK

# ETH physics Rydberg experiment



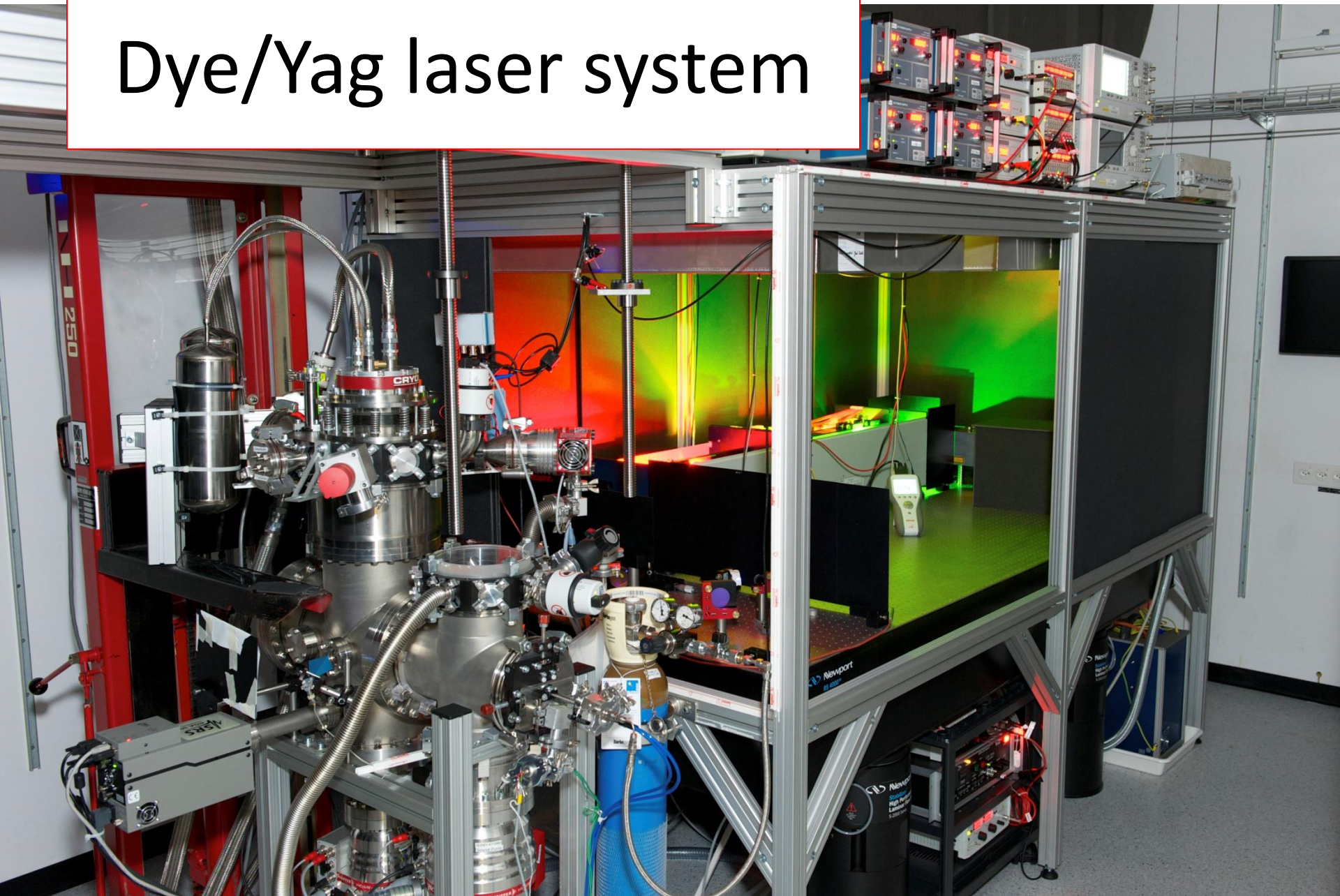
Excite electrons to the 2s-state, (to overcome very strong binding energy in the xuv range) by means of a discharge – like a lightning.

# ETH physics Rydberg experiment



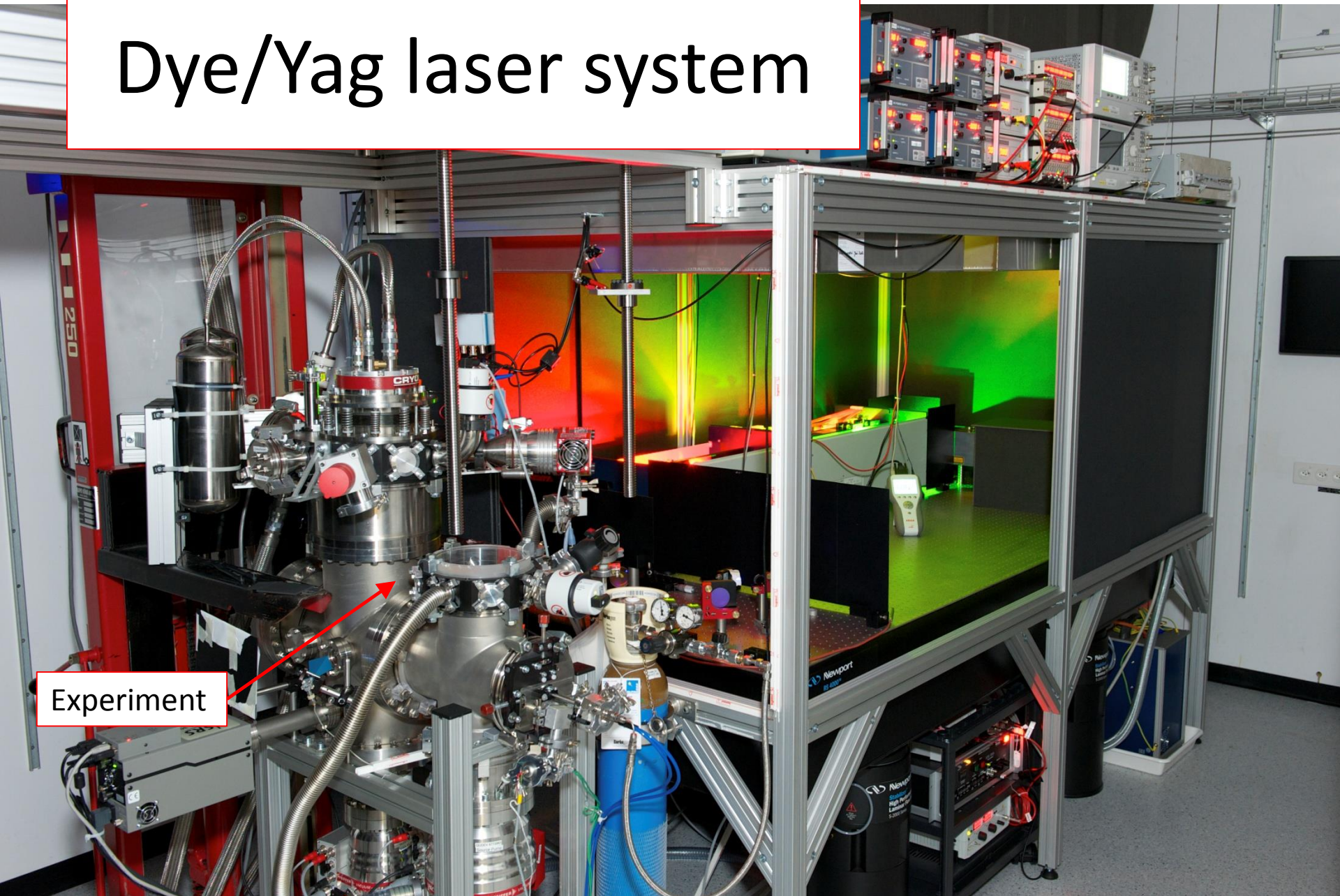
Actual experiment consists of 5 electrodes. Between the first 2 the atoms get excited to Rydberg states up to  $n=\infty$  with a dye laser.

# Dye/Yag laser system



# Dye/Yag laser system

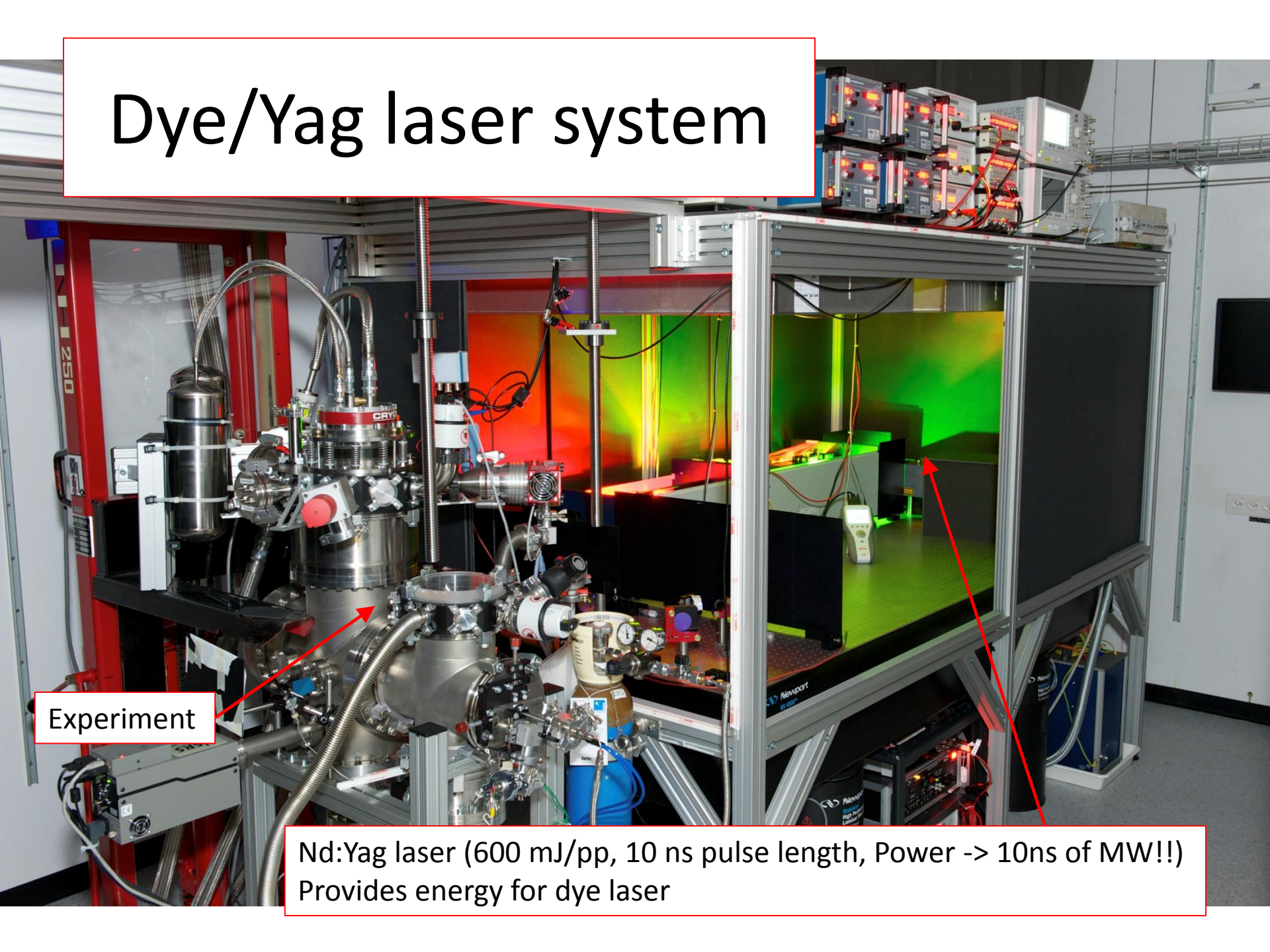
Experiment



# Dye/Yag laser system

Experiment

Nd:Yag laser (600 mJ/pp, 10 ns pulse length, Power  $\rightarrow$  10ns of MW!!)  
Provides energy for dye laser

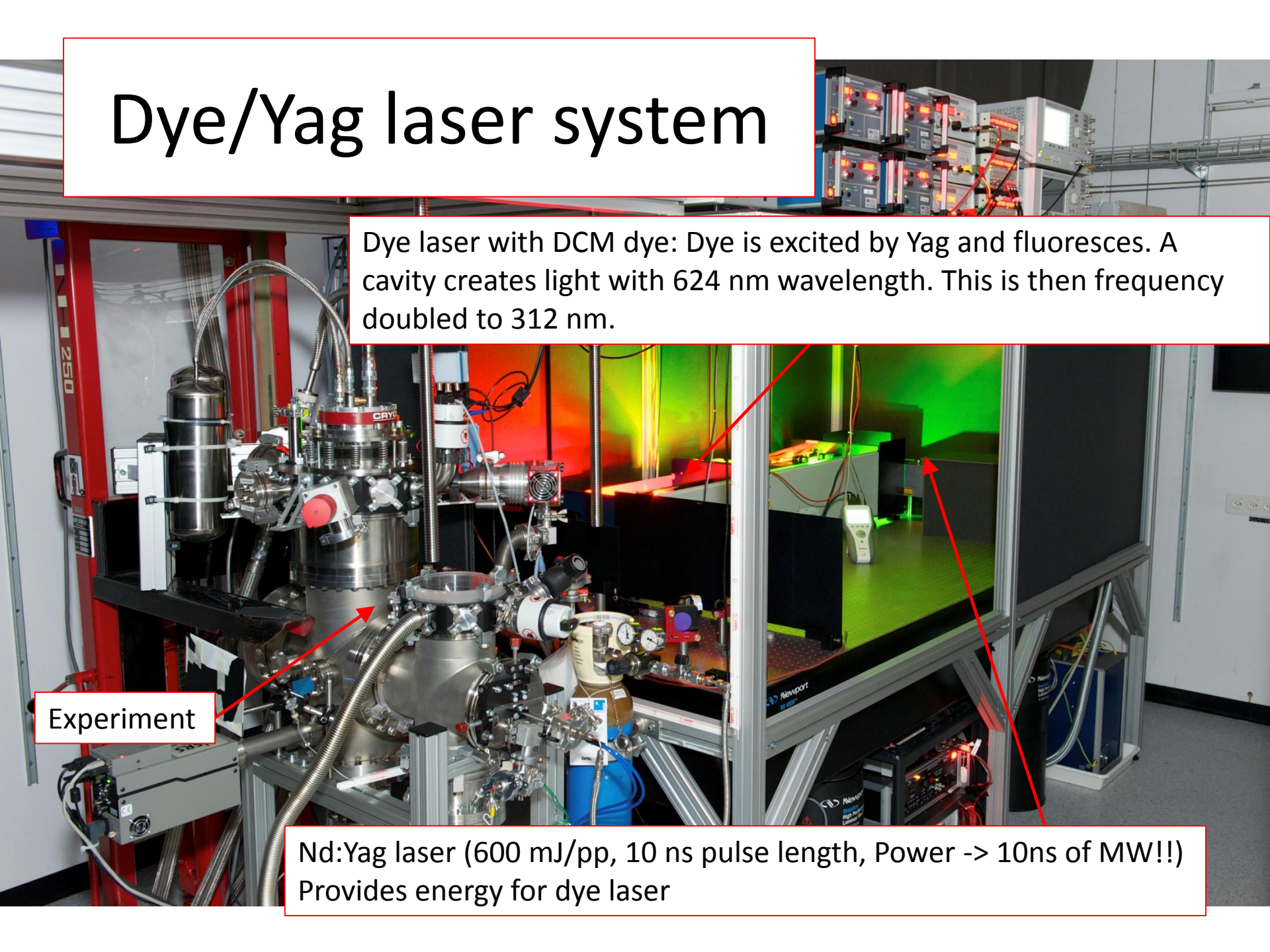


# Dye/Yag laser system

Dye laser with DCM dye: Dye is excited by Yag and fluoresces. A cavity creates light with 624 nm wavelength. This is then frequency doubled to 312 nm.

Experiment

Nd:Yag laser (600 mJ/pp, 10 ns pulse length, Power -> 10ns of MW!!)  
Provides energy for dye laser





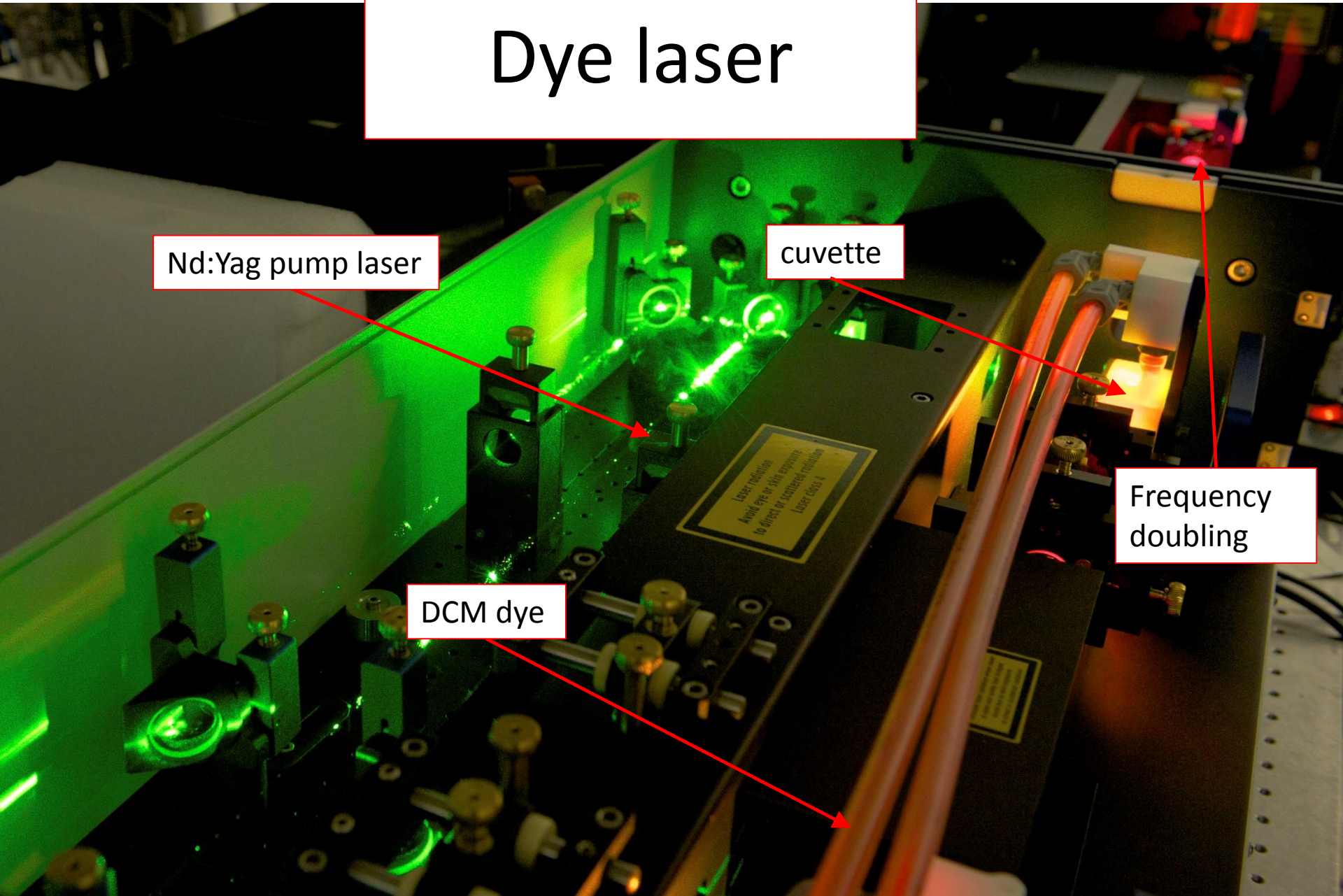
# Dye laser

Nd:Yag pump laser

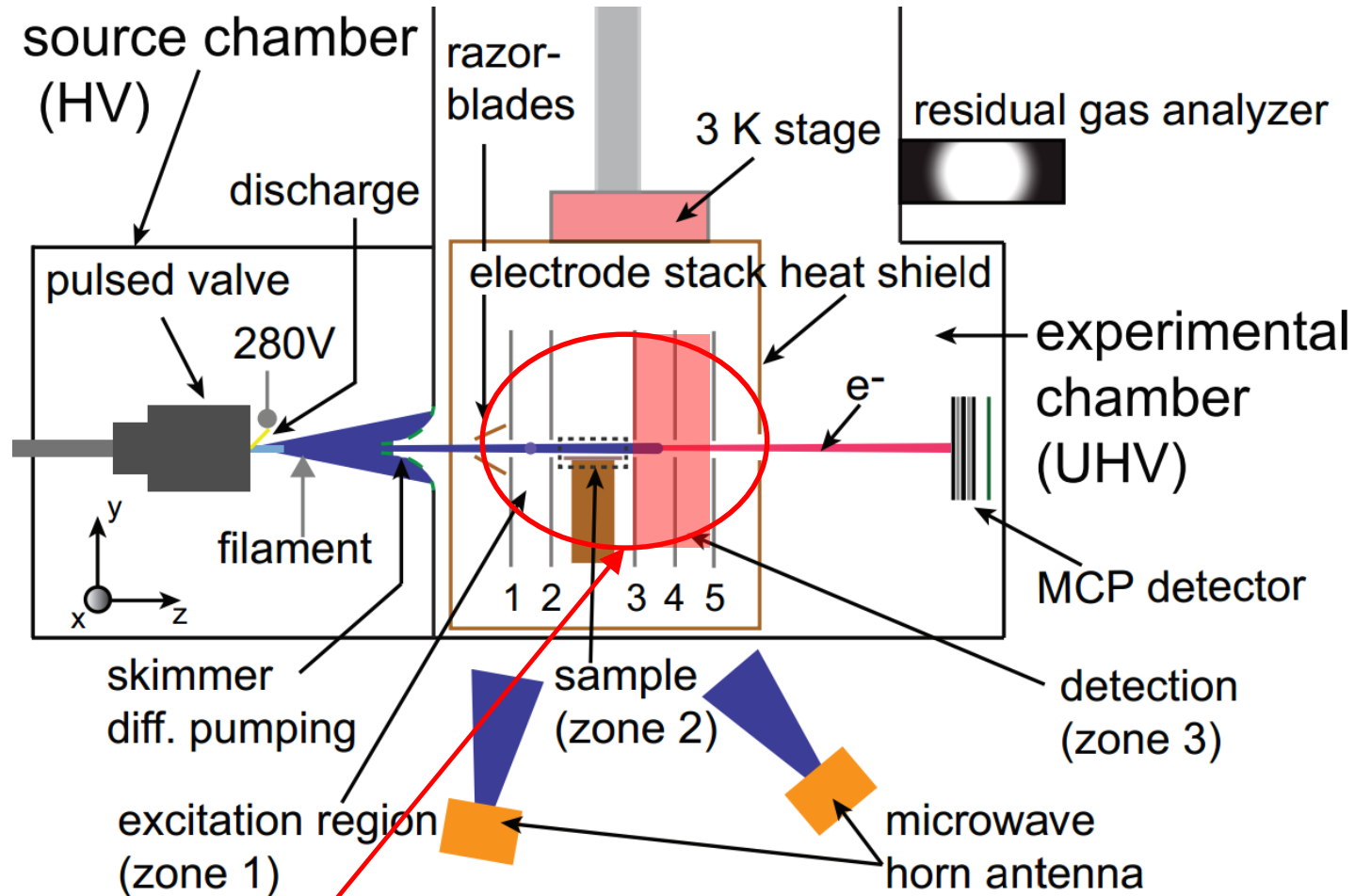
cuvette

DCM dye

Frequency doubling

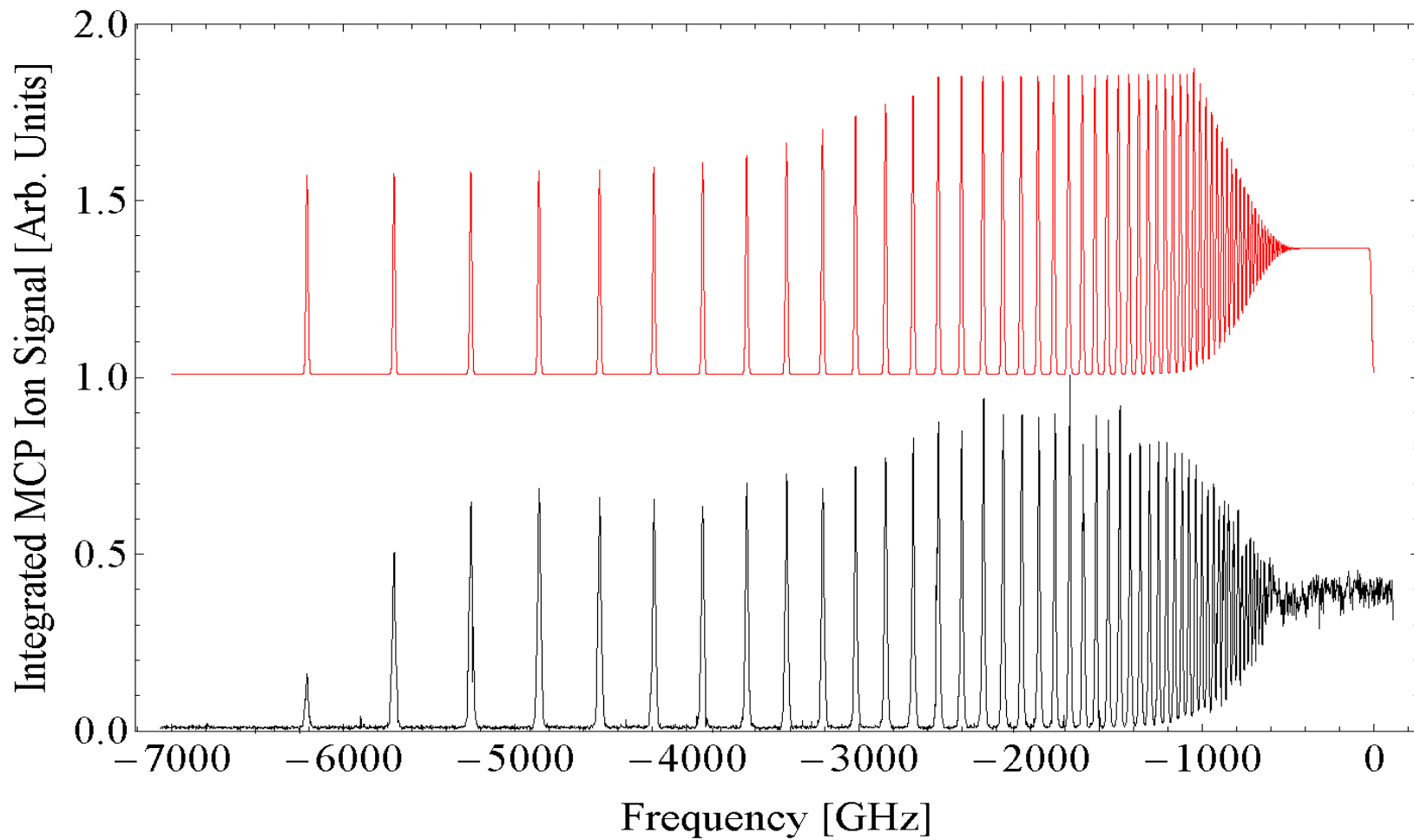


# ETH physics Rydberg experiment

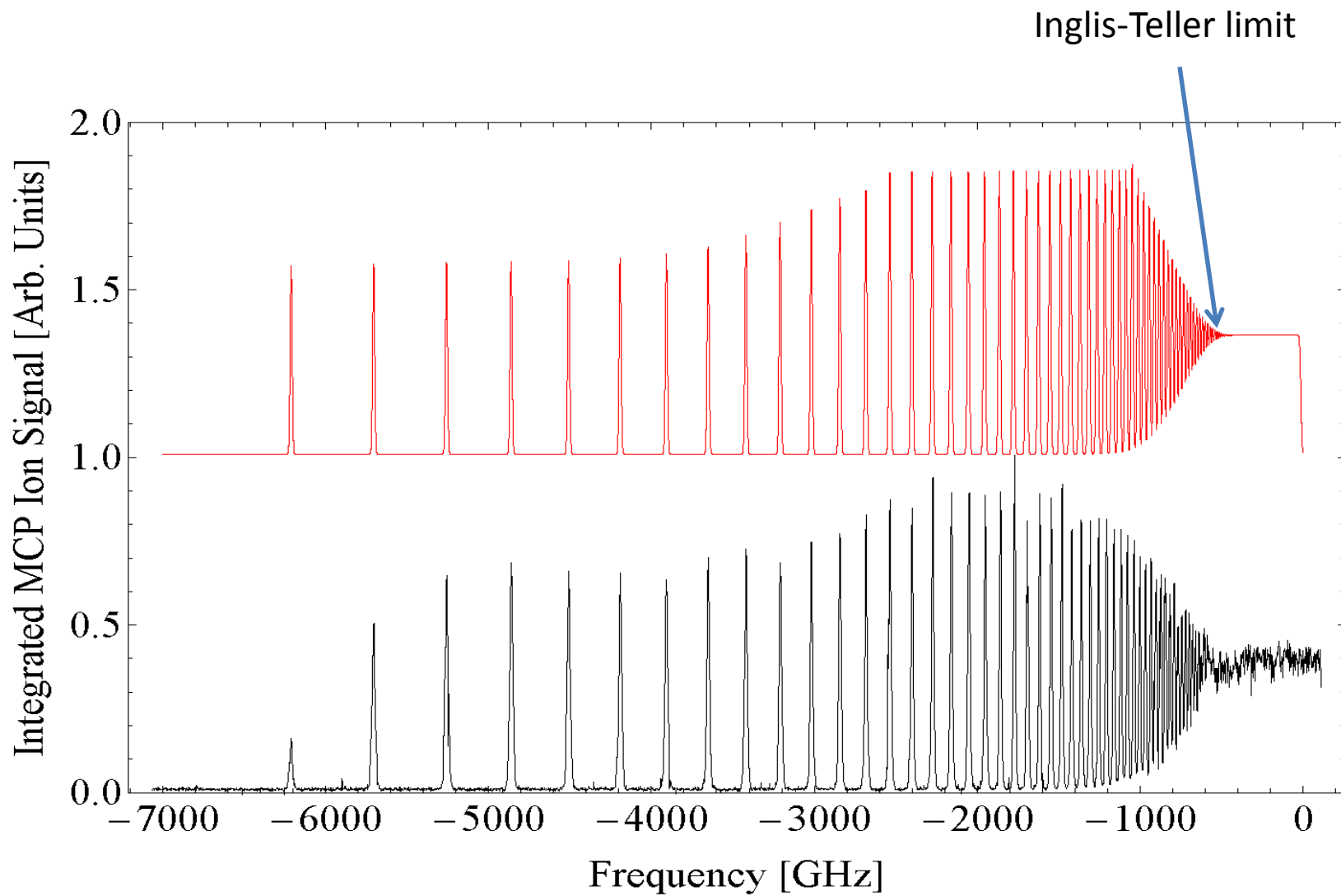


Detection: 1.2 kV/cm electric field applied in 10 ns. Rydberg atoms ionize and electrons are Detected at the MCP detector (single particle multiplier) .

# Results TOF 100ns

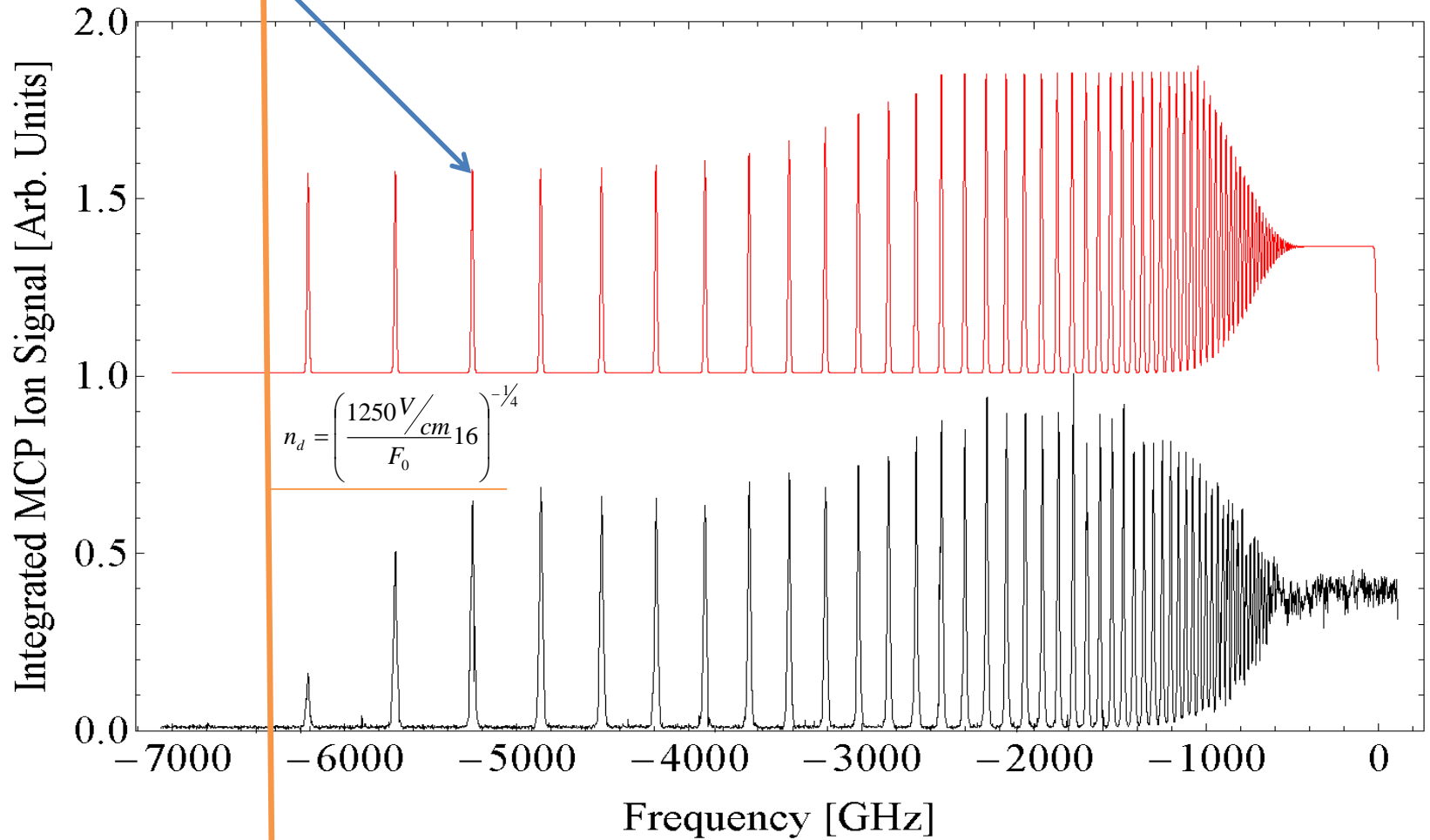


# Results TOF 100ns

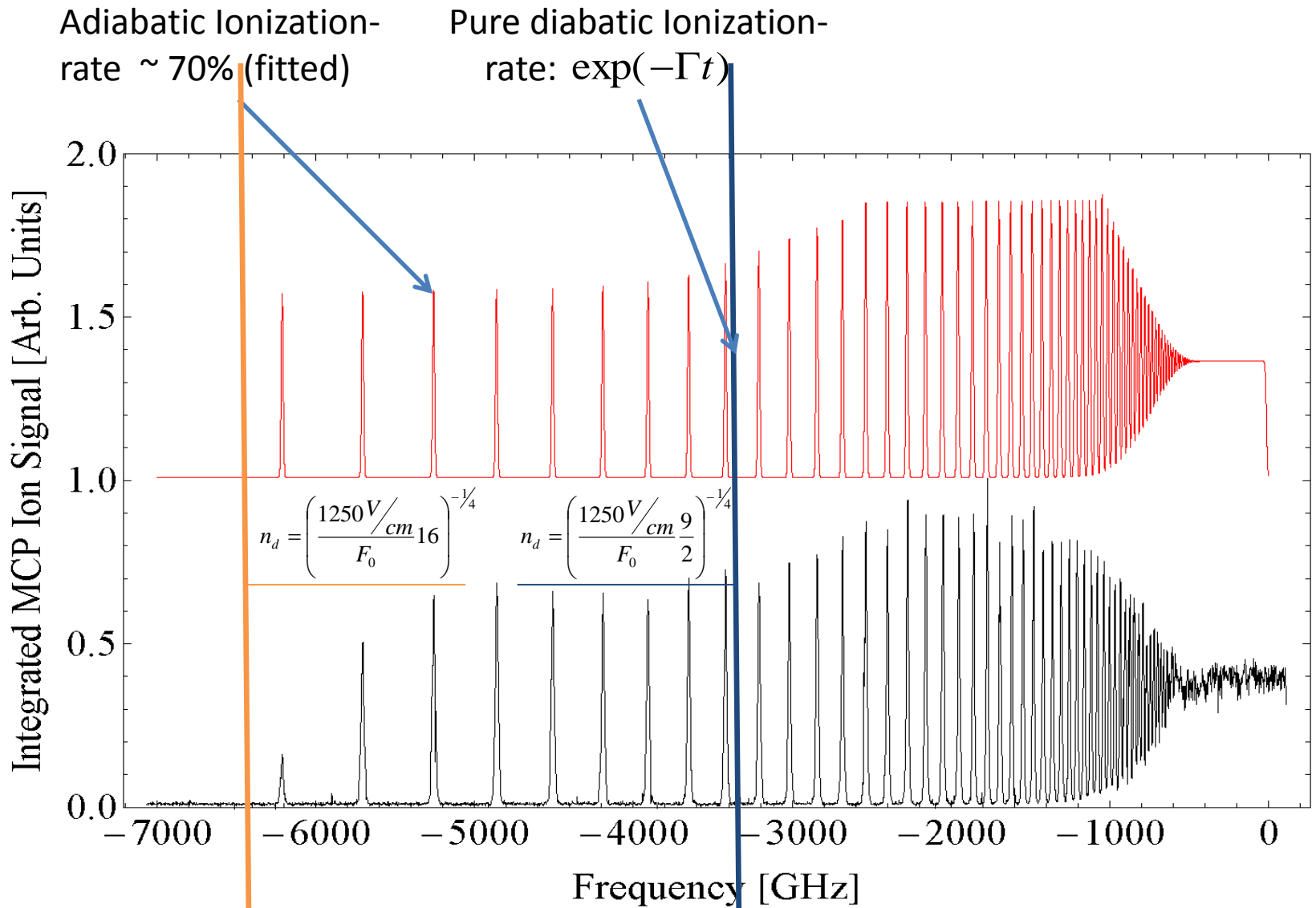


# Results TOF 100ns

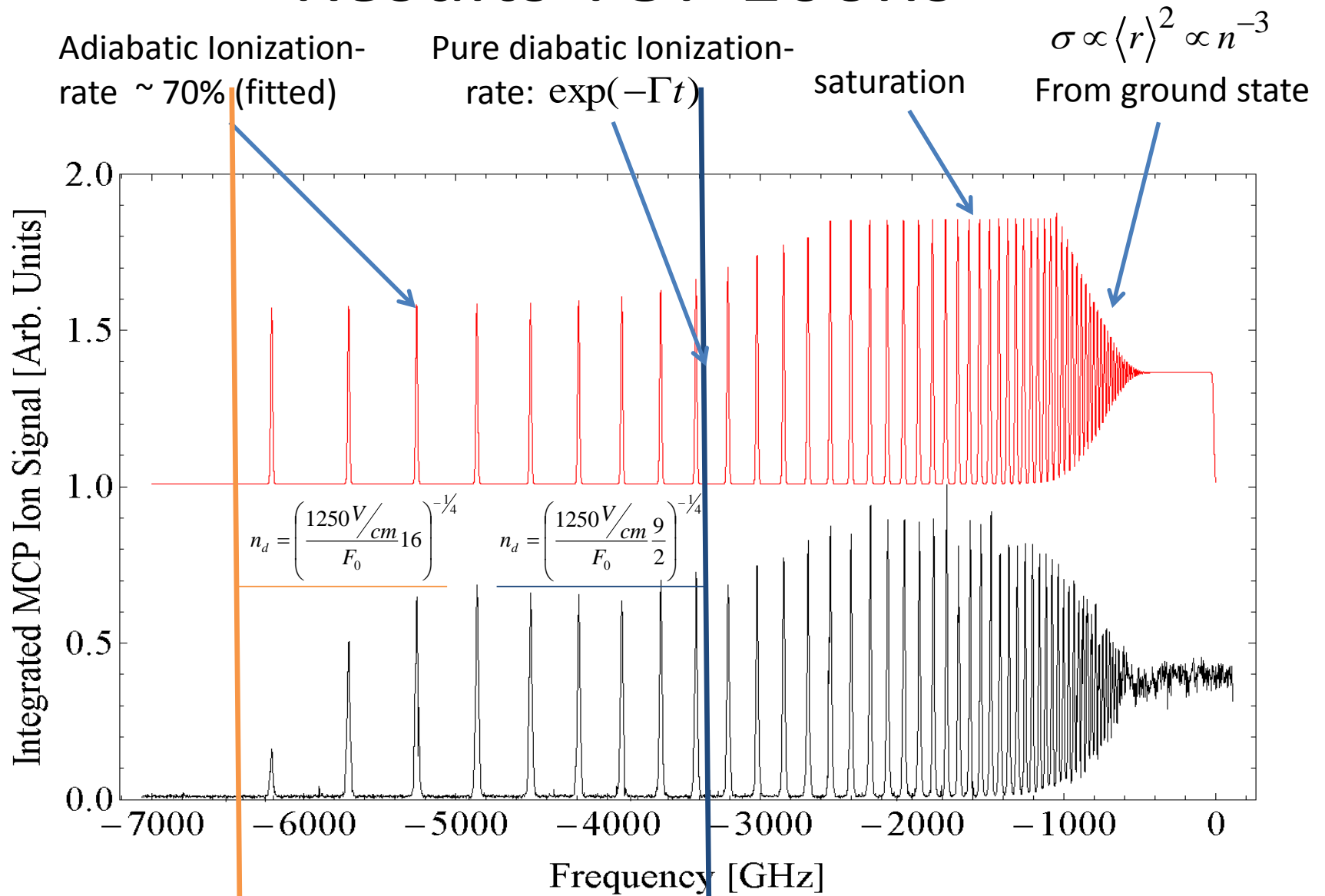
Adiabatic Ionization-  
rate  $\sim 70\%$  (fitted)



# Results TOF 100ns



# Results TOF 100ns



# Results TOF 15 $\square$ s

$$\sigma \propto \langle r \rangle^2 \propto n^{-3}$$

From ground state

